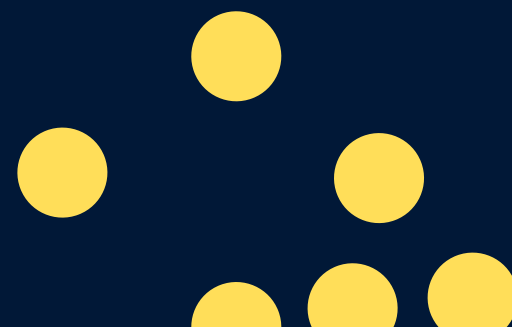
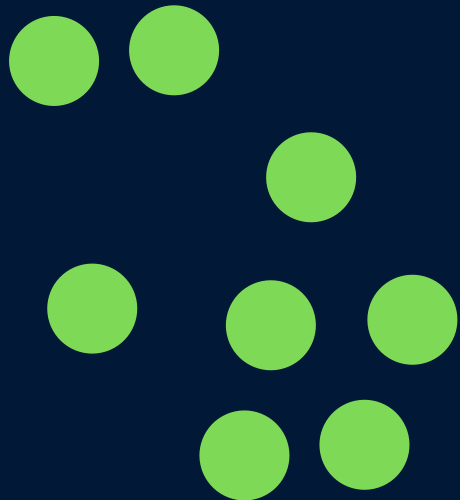


# K-MEANS CLUSTERING

A VISUAL GUIDE





**K-Means** is an unsupervised learning algorithm commonly used in Data Science.

The algorithm **partitions** data points into distinct groups, based on their **similarity** (or dissimilarity) with each other.

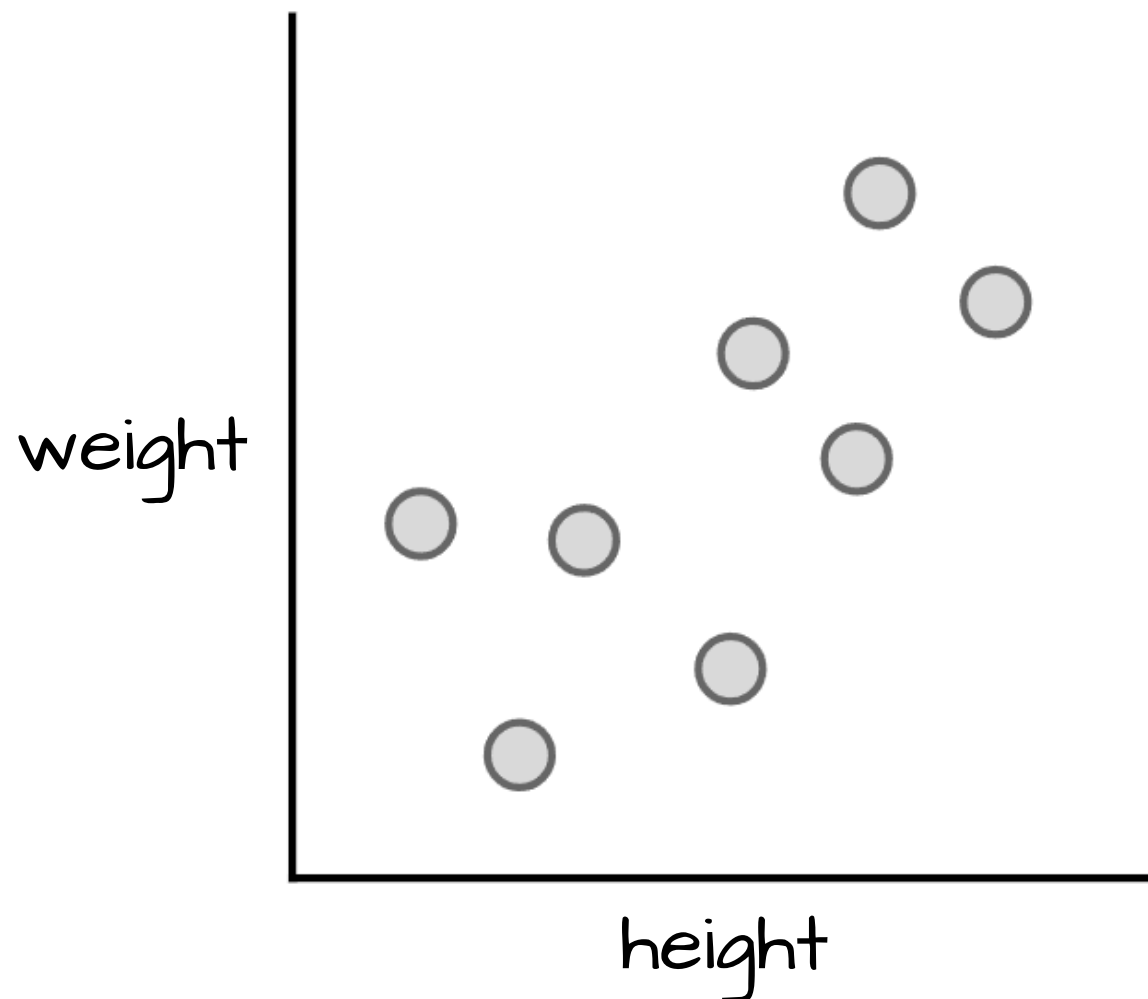
The number of distinct groups is determined by the value we set for **k**

So how does this algorithm work?

**Let's take a look!**

# OUR EXAMPLE

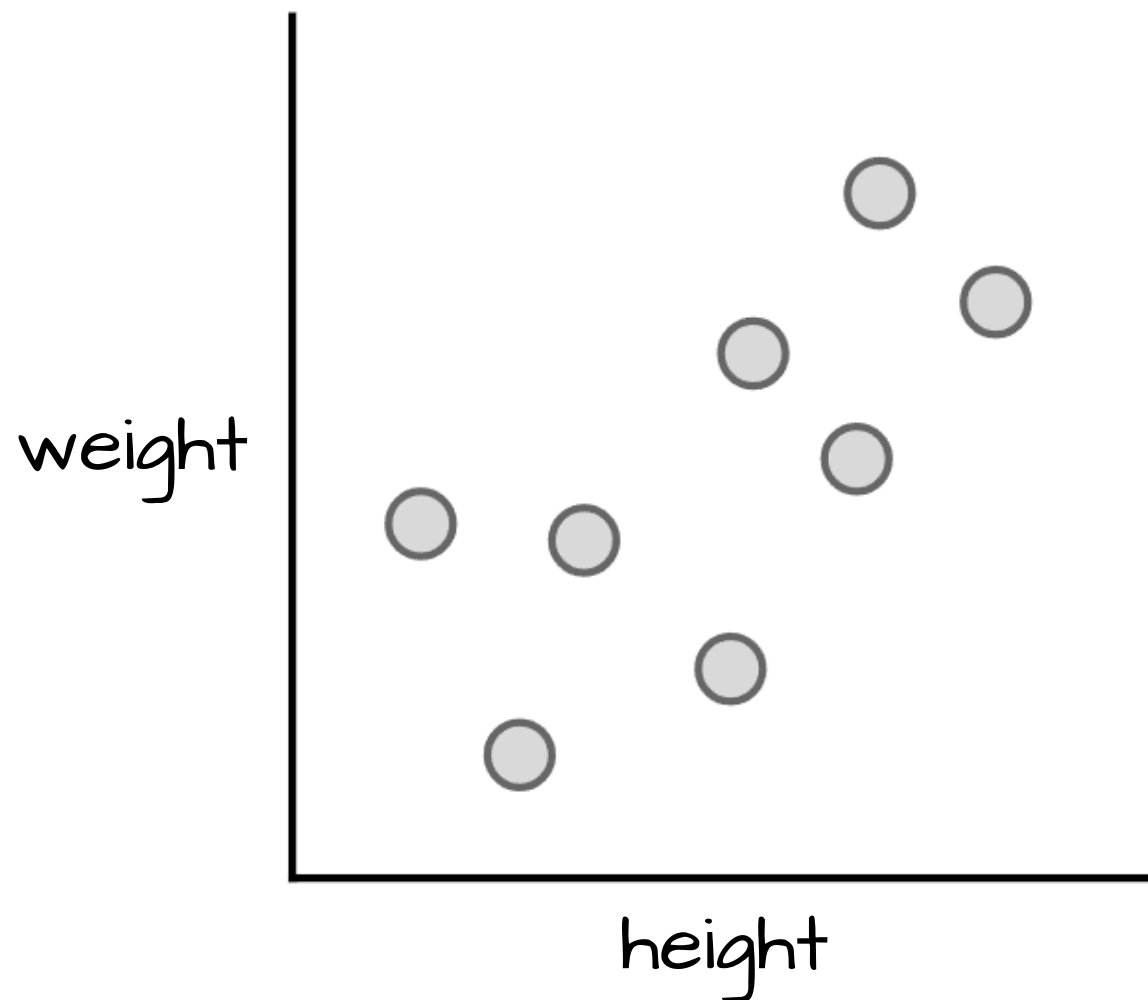
Let's say we have **height** and **weight** measurements for eight people



We want to know if there are any distinct groups that form within the data!

# A VALUE FOR K

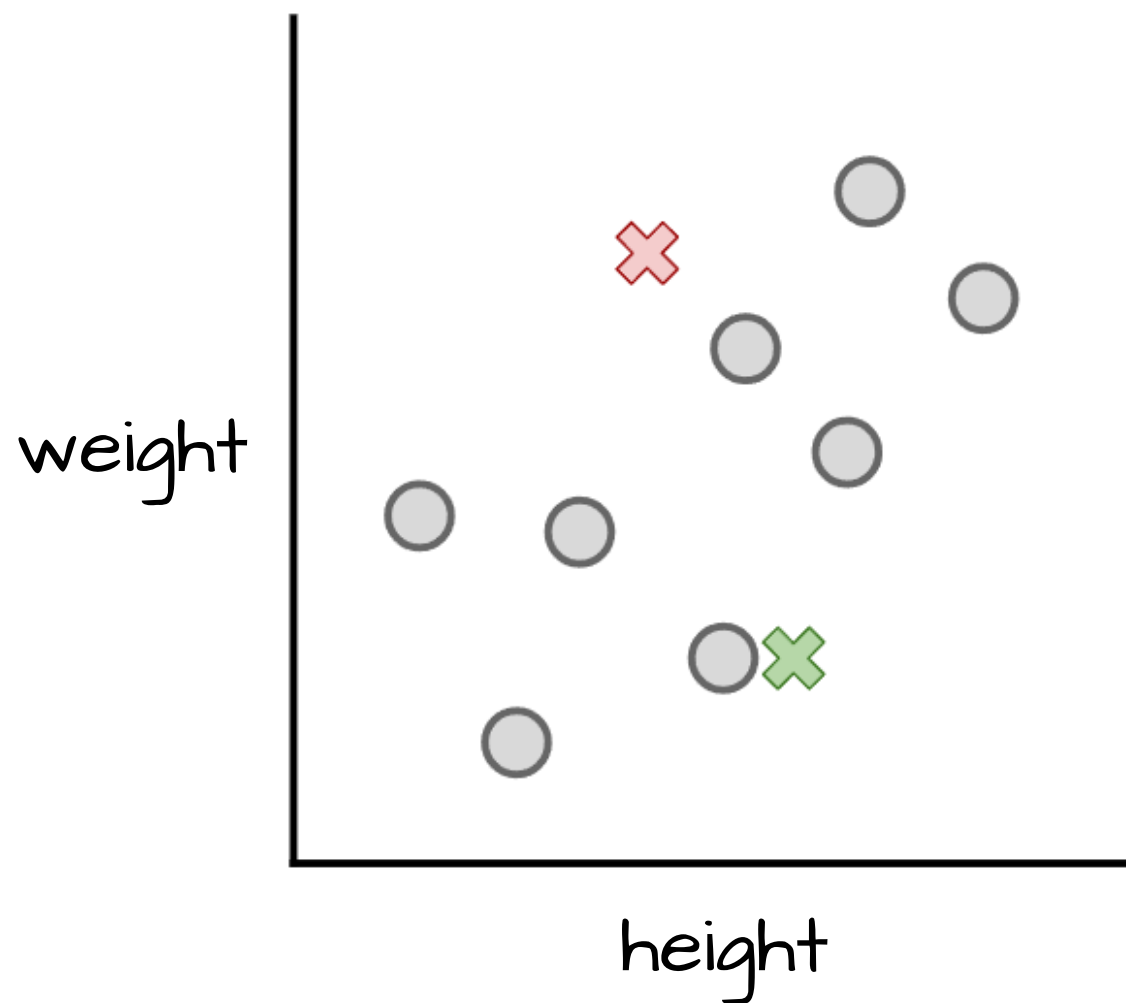
As the Data Scientist, we need to **pre-specify** a value for **k** (the number of clusters we want to end up with)



For simplicity - let's say we start with  $k = 2$

## STEP 1

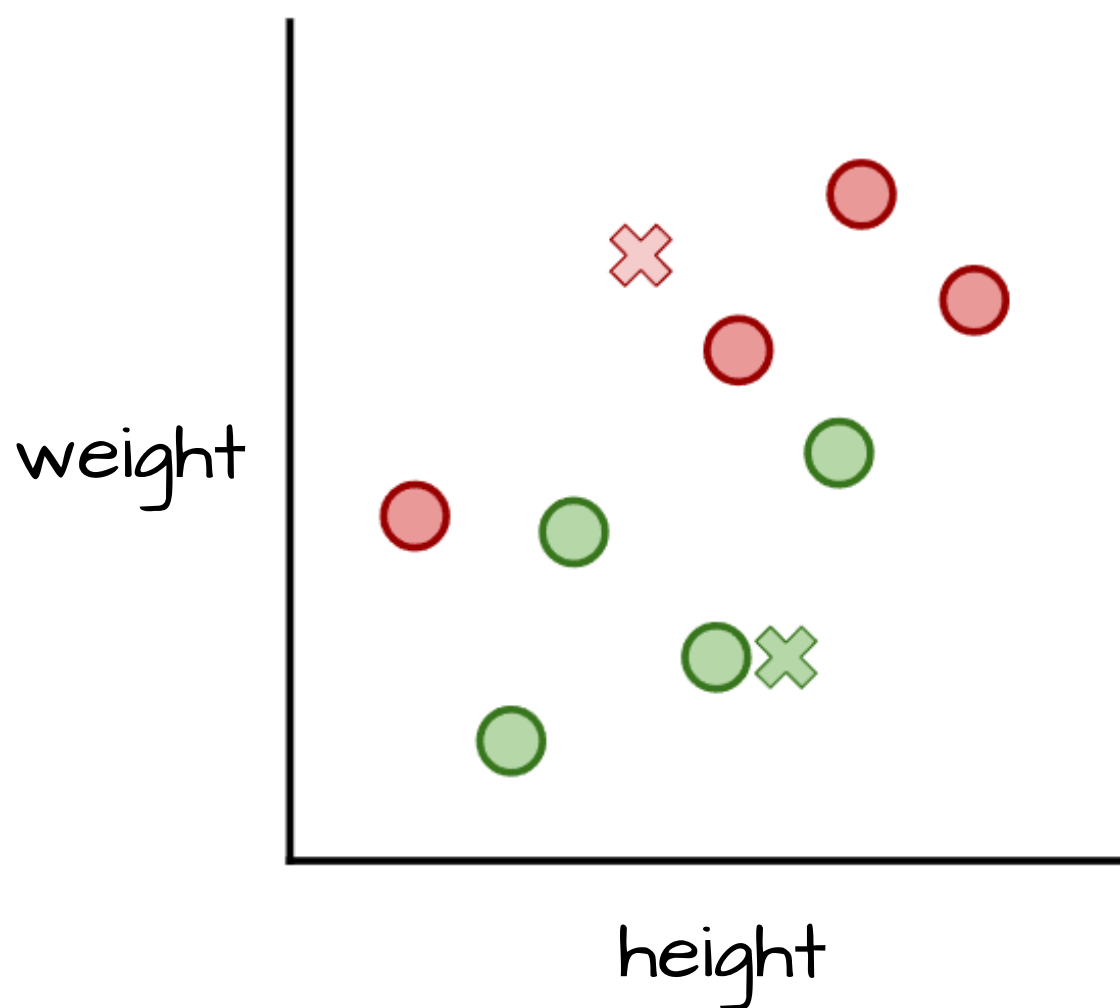
The algorithm selects  $k$  (here  $k = 2$ ) random points in space. These are called centroids



In our image above we have **centroid 1** shown in red, and **centroid 2** shown in green

## STEP 2

With the centroids in place, the algorithm **assigns each data point to the nearest centroid** forming our **clusters**

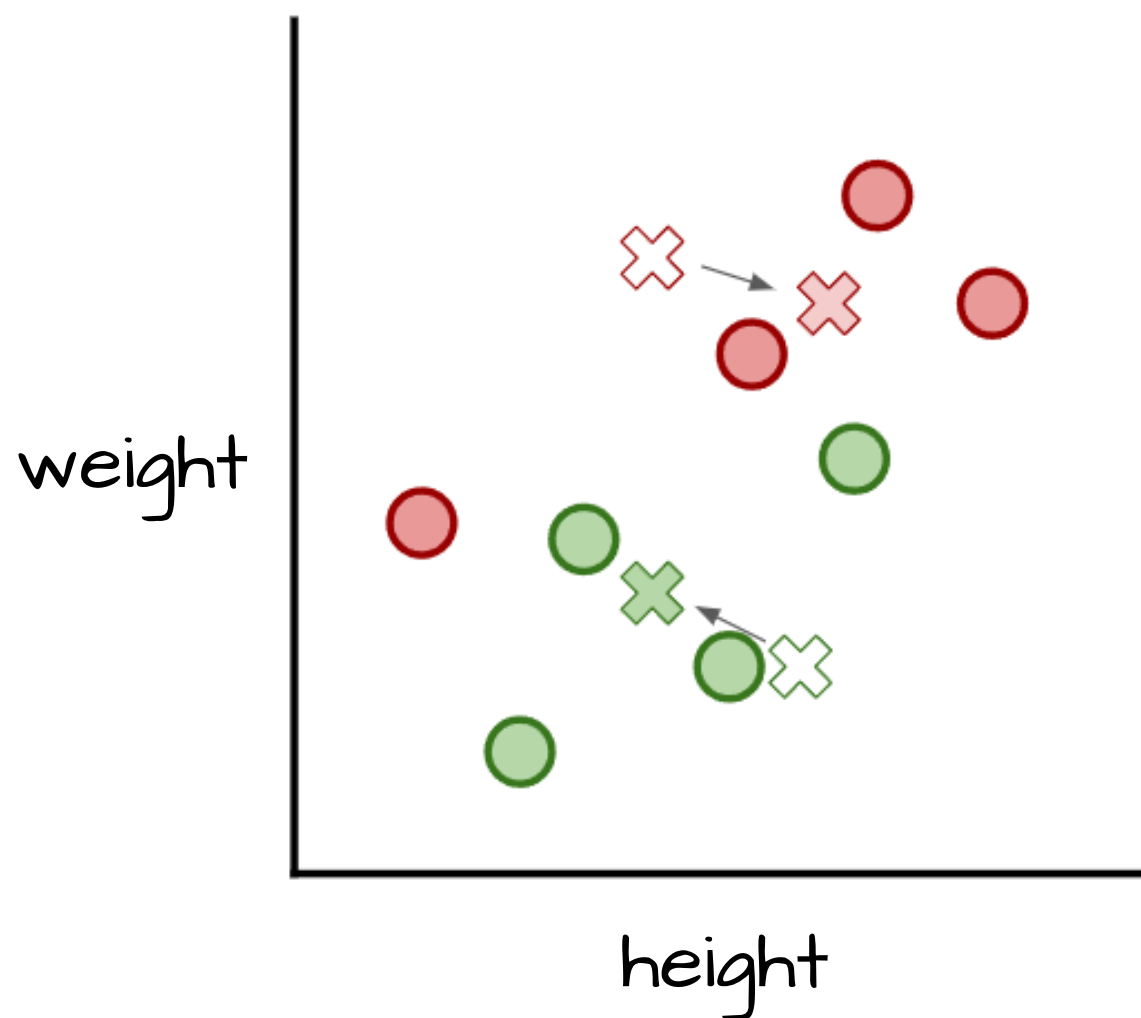


In k-means, **euclidean** (straight line) distance is most commonly used to assign data points to centroids

However, as our centroids have been **randomly assigned** at this stage, our clusters are not yet perfect!

## STEP 3

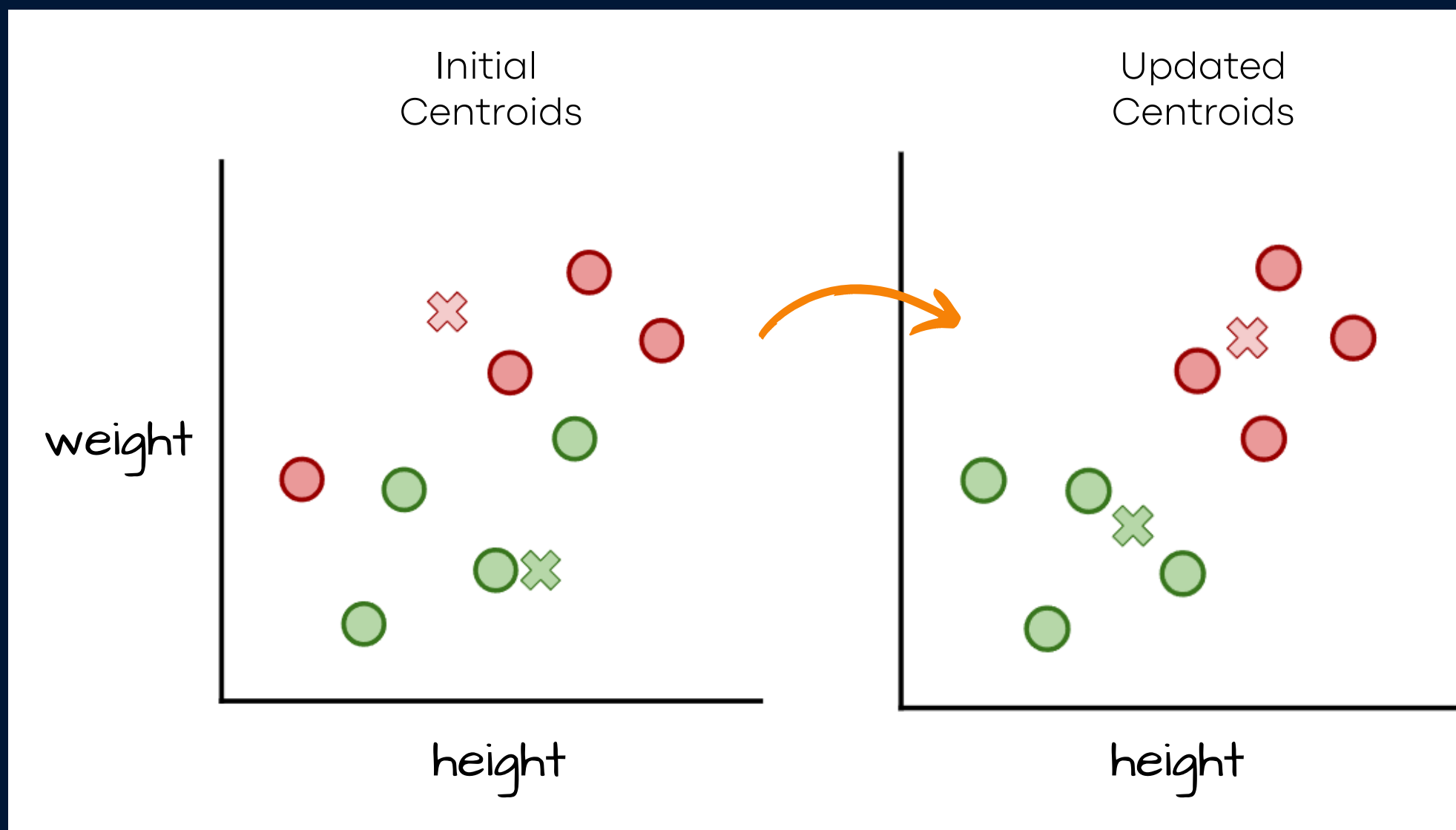
The algorithm now looks to **re-position the centroids** to new locations that better represent the clusters



It does this by **shifting each centroid** to the **mean height & weight value** for the data points in each cluster

## STEP 4

With the **new centroids** in place, the algorithm then **re-assigns** each data point to the nearest centroid

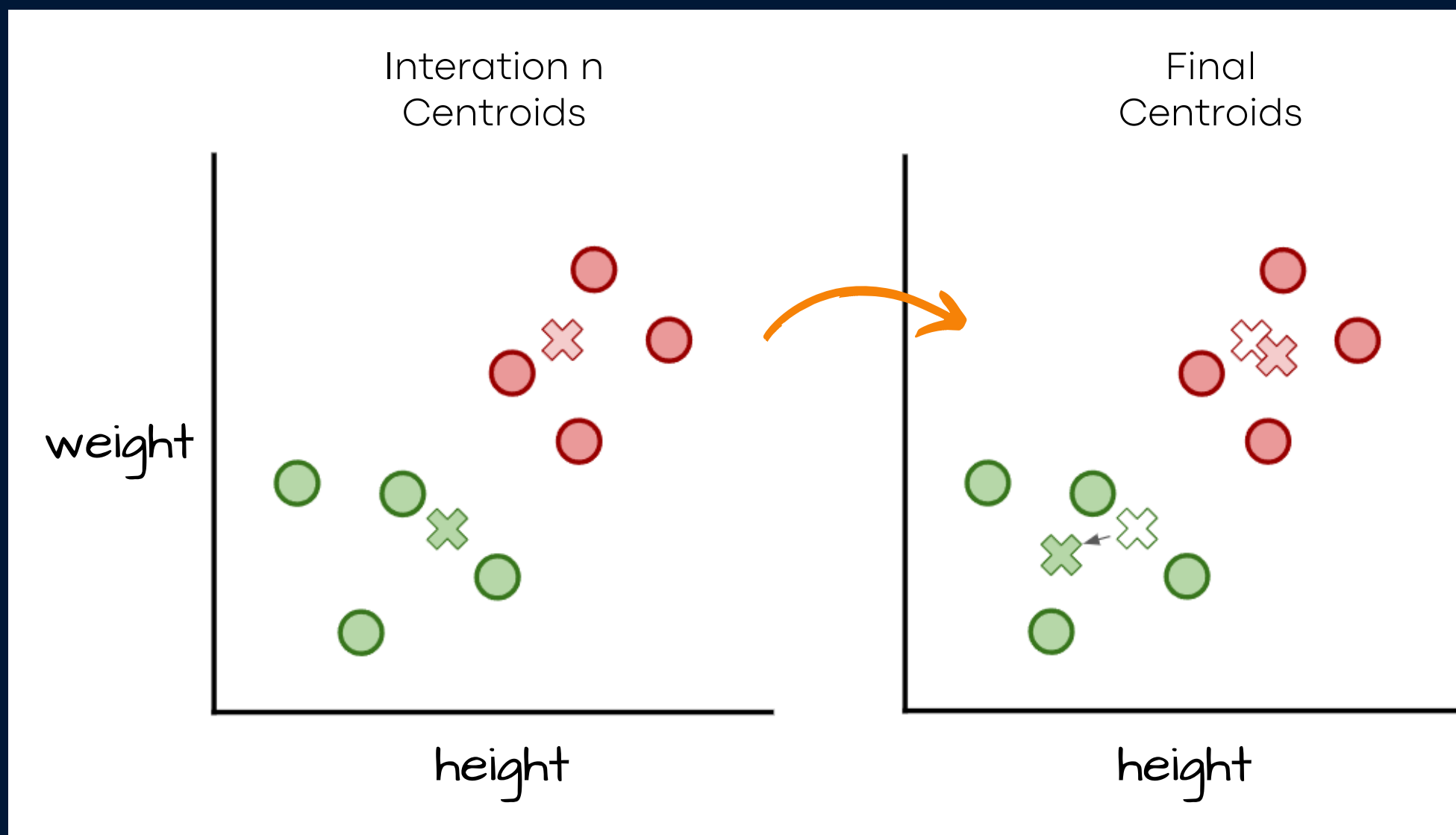


With the new centroids, some of our data points have **switched allegiances** to the other cluster



# REPEAT...

The algorithm then **repeats** Step 3 (repositioning centroids and Step 4 (re-assigning data-points) until...



...**no data points switch allegiance**, essentially meaning the clusters are stable

## TO NOTE

Our example applied k-means across only 2 dimensions (height & weight) but the algorithm can be applied across any number of dimensions

It is extremely important when applying k-means (or any distance based algorithm) that your input data is scaled, and thus is comparable across each dimension

In our example we used  $k=2$  but we could have used  $k=3$  or any other value up to the number of data points in our set. Common ways to understand a "good" value for  $k$  are using Within Cluster Sum of Squares (WCSS) or the Silhouette Value

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"I landed my new role at **Amazon** totally thanks to DSI. It's been the best academic choice of my life - giving **better results than two degrees**"

- Andrea



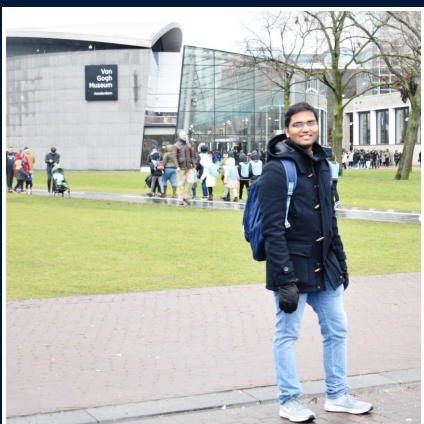
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- Arianna



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- Christian



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- Ritesh

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