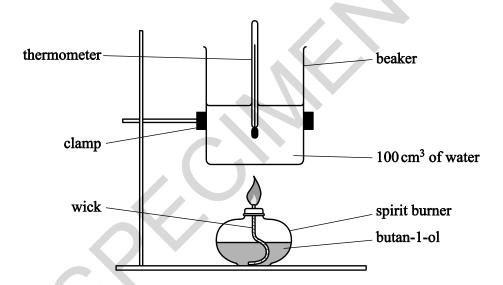
- A student is asked to calculate  $\Delta G$  at 25 °C for the combustion of butan-1-ol. The teacher provides two pieces of information.
  - The equation for the combustion of butan-1-ol.

$$CH_3(CH_2)_3OH(l) + 6O_2(g) \rightarrow 4CO_2(g) + 5H_2O(l)$$
 Equation 2

• Standard entropies of butan-1-ol oxygen, carbon dioxide and water.

|  | CH <sub>3</sub> (CH <sub>2</sub> ) <sub>3</sub> OH(1) | $O_2(g)$ | $\mathrm{CO}_2(\mathrm{g})$ | H <sub>2</sub> O(l) |
|--|---|----------|-----------------------------|---------------------|
| S <sup>0</sup> / J K <sup>-1</sup> mol <sup>-1</sup> | 228   | 205      | 214                         | 70                  |

The student carries out an experiment using the apparatus below and obtains the following results. The specific heat capacity of water is  $4.18 \text{ J g}^{-1} \text{ K}^{-1}$ .

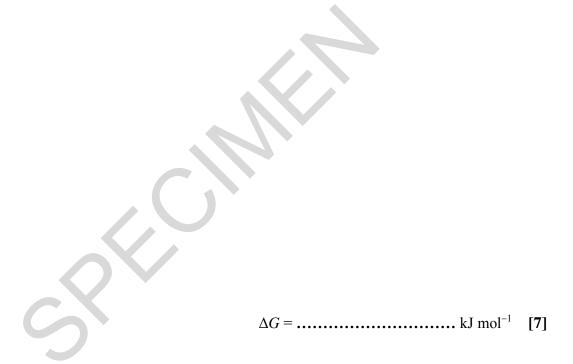


| Mass of burner and butan-1-ol before burning / g | 98.997 |
|--|--------|
| Mass of burner and butan-1-ol after burning / g  | 98.738 |
| Initial temperature / °C                         | 18.5   |
| Maximum temperature reached / °C                 | 39.0   |

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Use the information on the previous page to calculate  $\Delta G$ , in kJ mol<sup>-1</sup>, for the combustion of butan-1-ol according to **Equation 2** at 25 °C.

Show all your working.



- **18** This question is about free energy changes,  $\Delta G$ , enthalpy changes,  $\Delta H$ , and temperature, T.
  - (a) The Gibbs' equation is shown below.

$$\Delta G = \Delta H - T \Delta S$$

A chemist investigates a reaction to determine how  $\Delta G$  varies with T. The results are shown in **Fig. 18.1**.

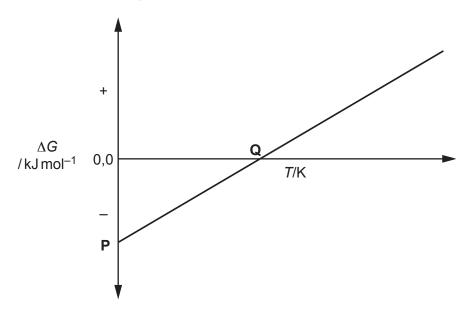


Fig. 18.1

| What is significant about the gradient of the line and the values <b>P</b> and <b>Q</b> shown in <b>Fig. 18.1</b> ? Explain your reasoning. |
|---|
|   |
|   |
|   |
|   |
|   |
|   |
|   |
|   |
| [4]   |

| (b) | Iron can be extracted from its ore Fe <sub>3</sub> O <sub>4</sub> using carbon.  |
|-----|--|
|     | Several equilibria are involved including <b>equilibrium 18.1</b> , shown below. |

| equ  | ıilibrium 18.1          | $Fe_3O_4(s) + 4C(s) \rightleftharpoons 3Fe(s) + 4CO(g)$ | $\Delta H = +676.4 \text{kJ} \text{mol}^{-1}$<br>$\Delta S = +703.1 \text{J} \text{K}^{-1} \text{mol}^{-1}$ |
|------|-------------------------|---|---|
| (i)  | Why is <b>equilib</b> i | rium 18.1 a heterogeneous equilibrium?                  |   |
|      |                         |   | [1]   |
| (ii) | Write the expre         | ssion for $K_p$ for <b>equilibrium 18.1</b> .           |   |

[1]

- (iii) The forward reaction in equilibrium 18.1 is only feasible at high temperatures.
  - Show that the forward reaction is **not** feasible at 25 °C.
  - Calculate the minimum temperature, in K, for the forward reaction to be feasible.

minimum temperature = ...... K [3]

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(iv) Another equilibrium involved in the extraction of iron from  ${\rm Fe_3O_4}$  is shown below.

$$Fe_3O_4(s) + 4CO(g) \implies 3Fe(s) + 4CO_2(g)$$
  $\Delta H = -13.5 \text{ kJ mol}^{-1}$ 

Enthalpy changes of formation,  $\Delta_{\rm f}H$ , for  ${\rm Fe_3O_4(s)}$  and  ${\rm CO_2(g)}$  are shown in the table.

| Compound                           | Δ <sub>f</sub> H / kJ mol <sup>−1</sup> |
|------------------------------------|---|
| Fe <sub>3</sub> O <sub>4</sub> (s) | -1118.5                                 |
| CO <sub>2</sub> (g)                | -393.5                                  |

Calculate the enthalpy change of formation,  $\Delta_{\!f} H,$  for CO(g).

 $\Delta_{\rm f}H$ , for CO(g) = .....kJ mol<sup>-1</sup> [3]

| Question | Answer   | Marks   | Guidance  |
|----------|--|---------|---|
| 18       | Answer $\Delta H \ calculation \ from \ experiment$ $q = 100 \times 4.18 \times 20.5 \ \mathbf{OR} \ 8569 \ \mathbf{J} \ \mathbf{OR} \ 8.569 \ \mathbf{kJ} \ \checkmark$ Amount of butan-1-ol = $0.259 = 3.5 \times 10^{-3} \ \mathrm{mol} \ \checkmark$ $\Delta H = -2448 \ \mathbf{kJ} \ \mathrm{mol}^{-1} \ \checkmark$ $\Delta S \ calculation$ $\Delta S = S_{products} - S_{reactants}$ $\Delta S = (4 \times 214) + (5 \times 70) - [(228) + (6 \times 205)] \ \mathbf{OR}$ $\Delta S = 1206 - 1458 \ \checkmark$ $\Delta S = -252 \ \mathbf{J} \ \mathbf{K}^{-1} \ \mathbf{mol}^{-1} \ \mathbf{OR} \ -0.252 \ \mathbf{kJ} \ \mathbf{K}^{-1} \ \mathbf{mol}^{-1} \ \checkmark$ $\Delta G \ calculation$ $\Delta G = \Delta H - T\Delta S$ $\Delta G = -2448 - (298 \times -0.252) \ \checkmark$ $\Delta G = -2373 \ (\mathbf{kJ} \ \mathbf{mol}^{-1}) \ \checkmark$ | Marks 7 | ALLOW Calculator value for $\Delta H =$ $-2448.285714$ correctly rounded to three or more significant figures  Mark for use of correct expression with $\Delta S$ in kJ K <sup>-1</sup> mol <sup>-1</sup> ALLOW three or more sig figs for $\Delta G$ |
|          | Total  | 7       |   |

| Q  | Question |       | Answer  | Marks | Guidance  |
|----|----------|-------|---|-------|---|
| 18 | (a)      |       | $\Delta G = \Delta H - T \Delta S$ linked to $y = mx + c$ (somewhere) $\checkmark$ gradient = $-\Delta S \checkmark$  | 4     | Could be:<br>$\Delta G = -\Delta S T + \Delta H$ - sign required  |
|    |          |       |   |       | ALLOW $\Delta S = -gradient$  |
|    |          |       | P: ∆H / enthalpy change ✓   |       |   |
|    |          |       | Q: (temperature) for reaction to be feasible/unfeasible OR  |       | ALLOW 'point of feasibility' For Feasibility:   |
|    |          |       | (temperature) at which feasibility changes ✓  |       | <b>ALLOW</b> can take place/happen <b>OR</b> is spontaneous <b>IGNORE</b> 'minimum/maximum temperature'         |
|    | (b)      | (i)   | (Species have) different states/phases ✓  | 1     |   |
|    |          | (ii)  | $(K_p =) p(CO(g))^4 \checkmark$   | 1     | Allow species without state symbols and without brackets, e.g. $p_{CO}^4$ , $ppCO^4$ , $PCO^4$ , $p(CO^4)$ etc. |
|    |          |       |   |       | DO NOT ALLOW square brackets  |
|    |          | (iii) | ΔG at 25 C  | 3     |   |
|    |          |       | $\Delta G = \Delta H - T\Delta S = 676.4 - (298 \times 0.7031)$<br>= (+) 467 (kJ mol <sup>-1</sup> ) <b>OR</b> (+) 466876 (J mol <sup>-1</sup> ) $\checkmark$ |       | IGNORE units ALLOW (+) 467 up to calculator value of 466.8762 correctly rounded                                 |
|    |          |       | Non-feasibility statement  Non-feasible when $\Delta G > 0$ OR $\Delta G > 0$ OR $\Delta H > T\Delta S \checkmark$  |       | ECF for any positive value determined in M1   |
|    |          |       | Minimum temperature  minimum temperature = $\frac{\Delta H}{\Delta S} = \frac{676.4}{0.7031}$ = 962(.0) K $\checkmark$  |       | <b>ALLOW</b> 962 up to calculator value of 962.0253165 correctly rounded  |
|    |          |       |   |       |   |

| Question      | Answer  |            | Guidance   |
|---------------|---|------------|--|
| Question (iv) | FIRST, CHECK THE ANSWER ON ANSWER LINE IF answer = $-110.5$ , Award 3 marks.  | Marks<br>3 | For answer, ALLOW –111 (kJ mol <sup>-1</sup> ) NOTE: IF any values are omitted, DO NOT AWARD any marks. e.g. –393.5 OR –13.5 may be missing  |
|               | Correct subtraction using $\Delta H$ and $\Delta_{\rm f} H({\rm Fe_3O_4})$<br>$4 \times \Delta_{\rm f} H({\rm CO}) = (4 \times -393.5) - (-1118.5) + 13.5$<br>$= -442(.0) \ ({\rm kJ \ mol^{-1}}) \ \checkmark$<br>Calculation of $\Delta_{\rm f} H({\rm CO})$ formation<br>$\Delta_{\rm f} H({\rm CO}) = -\frac{442}{4} = -110.5 \ ({\rm kJ \ mol^{-1}}) \ \checkmark$ |            | Common errors  (+)110.5 wrong/omitted sign 2 marks  (+)184.625 / 184.63 / 184.6 / 185 2 marks  No 4CO <sub>2</sub> (+)738.5 / 739 No 4CO <sub>2</sub> and no CO/4 1 mark                   |
|               |   |            | -117.25 / -117.3 / -117 Wrong cycle 2 marks  -469 Wrong cycle, no CO/4 1 mark  (+)177.875 / 177.88 / 177.9 / 178 1 mark  Wrong cycle, no 4CO <sub>2</sub> -360.5 Used 118.5 2 marks        |
|               |   |            | Any other number: <b>CHECK</b> for <b>ECF</b> from 1st marking point for expressions using <b>ALL</b> values with <b>ONE</b> error only e.g. one transcription error:, e.g.395.3 for 393.5 |
|               | Total   | 12         |  |