# Meshed Slab and Wall Design as per ACI318-11





#### http://en.midasuser.com

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# *Overview*



Step *00*

In Gen 2013 (v2.1), meshed slab and wall design as per ACI318-11 has been newly implemented. The following design features as per *ACI318- 11* are available in midas Gen.



This tutorial is intended to explain how to perform meshed slab and wall design. For this reason, the procedure for general frame design process were not included.

**Step** 

*00*



Using the task pane, we can display work procedure, required input items and optional input items for each analysis and design case. Using the User Defined Task Pane, the user can create a Task Pane manually.

For the meshed slab wall design feature, TDF file was provided with the tutorial model files for the user's convenience. In order to import the User Defined Task Pane, please follow the procedure below.

1. Go to Task Pane tab in the left panel of the midas Gen window.

2. Click **[Task Pane]** text from the drop down menu.

3. Click **[Import User Defined Page]**.

4. Select "slab desig.tpd" file and click **[Open]** button.







- Beam : Concrete Grade C4000
- Column: Concrete Grade C4500



#### **Slab/Wall Thickness**



## *Applied Load*





#### *Procedure*





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#### *Procedure*







### *Procedure*

**Node/Element > Mesh > Auto-mesh** Method **: Nodes Draw as a picture below.** Type **: Quadrilateral** Mesh Size **:** Length **: 0.5 m** Material **: 2:Grade C4500** Thickness **: 2:0.2500 Domain >Name : '2'**  $\bf{0}$ **Generate meshed elements for walls** Specify meshed area for automeshing (Line elements method).

Click **[Apply] > [Close]**



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### *Procedure*

- **Generate meshed elements for walls** Specify meshed area for a meshing (Line elements method).
- Method **: Planar Elements** 1

Type **: Quadrilateral** 2 Mesh Size **:** Length **: 0.5 m** Material **: 2:Grade C4500** Thickness **: 2:0.2500 Click 'Select by window'** 3

**4** Select as a picture

**Domain >** 5 **Name : '4'**

Click **[Apply] > [Close]** 6



# *1-3. Define Boundary Condition*





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#### *Procedure*

- **Load > Static Loads > Lateral >** 1 **Wind Loads >** Click **[Add]**
- Load Case Name **: WX** 2 Wind Load Code **: IBC2012(ASCE7-10)**
- **3** Wind Load Direction Factor: **X-Dir. : 1, Y-Dir. : 0**
- **4** Click [Apply]
- Load Case Name **: WY** 5 Wind Load Direction Factor **: X-Dir. : 0, Y-Dir. : 1**

**6** Click **[OK]** 

### Click **[Close]** 7



### *Procedure*

- **Load > Seismic > Response** 1 **Spectrum Data > Response Spectrum Functions**
- **2** Click **[Add]**
- Click **[Design Spectrum]**  $\bigcirc$
- Design Spectrum **:** 4 **IBC2012(ASCE7-10)**
- Click **[OK]** 6
- **6** Click **[OK]**
- **7** Click **[Close]**



- **Load > Response Spectrum** 1 **Data > Response Spectrum Load Cases**
- Load Cases Name **: RX** 2 Excitation Angle **: 0**
- Check **: IBC2012(ASCE7-10)** 3

# Click **[Add]** 4

- Load Cases Name **: RY** 5 Excitation Angle **: 90 >** Click **[Add]**
- **6** Click **[Eigenvalue Analysis control]** Number of Frequencies: **15** > Click **[OK]**

**7** Click [Close]



# *Procedure*

- **Results > Combinations >** 1 **Concrete Design > Auto Generation**
- **2** Select Design Code as **"ACI318-11"**
	- > Click **[OK]**
	- > Click **[Close]**
- **Perform Analysis** 3



- **Design > Design > RC Design >** 1 **Design Code**
- **2** Select Design Code as "**ACI318-11**" **>** Click **[OK]**

Step

- **Design > Design > RC Design >** 3 **Column Design**
- **4** Click **[Select All]** and then **[Update Rebar]** button.

Sorted by : **Member >** 5 Check the design results **>** click **[Close]**



- **Design > Design > RC Design >** 1 **Modify Column Rebar Data**
- Select SECT "2-1" in the list.
- Check the rebar data.  $\bigcirc$ 
	- Rebar data can be modified in this dialog box.

#### Click **[Add/Replace] > [Close]**  $\boldsymbol{\Phi}$



#### *Procedure*

**Slab/Wall Load Combination** Select the load combinations for the slab/wall element design.







#### *Procedure* **Specify rebar size**  $\frac{d}{dx}$  Model View  $\times$ Enter the standard sizes of 1 Meshed Design Criteria for Rebars  $\overline{\mathbf{x}}$ Slab/Mat rebars used in the design of **D** Basic Rebar for Slab reinforcement for slab/wall 2 Top - Dir. 1 : #10  $@$  300 Dir.2 ᆌ elements. Bot. - Dir. 1 : #10  $\left| \cdot \right|$ @ 300 Top - Dir. 2 : #10  $\rightarrow \emptyset$  300  $\overline{\phantom{a}}$  $\overline{\bullet}$   $\phi$  300 Bot, - Dir, 2 : #10 **Design > Design >** 1 Dir.1 For Slab Design **Meshed Design >** Rebar  $\frac{44.45}{5}$ Rebar... **Design Criteria for Rebar** Spacing : @4",@6",@8",@12",@16" Spacing... Con  $\left(3\right)$  Face to Center of Rebar(dT, dB)<br>Dir,  $3\left| \begin{array}{ccc} 0.03 & 0.03 \\ 0.03 & 0.03 \end{array} \right|$  m Dir, 2: 0.05  $\left| \begin{array}{ccc} 0.05 & 0.05 \\ 0.05 & 0.05 \end{array} \right|$  $\frac{dT}{(Dir.1)}$ dT<br>(Dir2) <u>itorian</u>  $\frac{dB}{dDit}$ Check off **[Basic Rebar for Slab]**. 2  $\frac{dB}{(Dir.2)}$ For Mat Design ise se se de Basic rebar option is useful Rebar... Rebar  $\#9.410.411$ when the engineer wants to Spacing :  $@4^{\circ},@8^{\circ}$ Spacing... <u>g de en la grafia de la grafia </u> assign the identical rebar to the Concrete Face to Center of Rebar(dT, dB) entire slabs and checks the Dir, 1:  $\overline{0}$  0 m Dir, 2: 0  $\overline{0}$  $\Box$  m <u>itorian matana matana sheka</u> additional rebar amount. For Wall Design n an an Dùbhlach <u>ng sa tagang sa tagang sa tagan</u> Vertical Rebar : #4.#5 Rebar... **3** For Slab Design : Horizontal Rebar: #4.#5 Rebar... Dir. 1 **: 0.03 m, 0.03 m** Spacing :  $@4"@8"$ Spacing... Concrete Face to Center of Rebar(dw) : 0  $m$ Dir. 2 **: 0.05 m, 0.05 m** 4**OK Close** Click **[OK]** 4

#### *Procedure*

- **View > Activities > Active Identity 4** 1
- Click **: Story > ROOF** 2 Check **: +Below**
- Click **: [Active] > [Close]** 3



#### *Procedure*

**Slab Flexural Design** Check the flexural design results for slab elements in contour.

**Design > Design > Meshed Design > Slab Flexural Design**  $\bullet$ 

Select **[Avg. Nodal]**. 2

- Check **[As\_req(m^2/m)]** 3
- Check on **One-Way Flexure Design** option and click **[…]** button 4
- Defined Cutting Lines **[Add]** 6
	- $\odot$  Display the bending moments of the floor slab elements along a cutting line, and produce the design results of reinforcement.

Click **[Apply] e** 



1

3 4 5

## *Procedure*

**Design > Design >** 1 **Meshed Design > Slab Flexural Design**

Select **[Avg. Nodal]**. 2

#### Click **[Design Result]** 3

 $\odot$  Produce the detail flexural design results of slab elements in a text format.

# Click **[Design Force]** 4

**Produce the flexural design** forces of slab elements in  $a$ tabular format.

# Click **[Update Rebar]** 5

 Update the rebar quantity for each slab element. The updated rebar data is used for strength verification.



#### *Procedure*

**Design > Design > Meshed Design > Slab Flexural Design**  $\bullet$ 

#### Check **[Resistance Ratio]**  $\bullet$  The ratio of the design moment to the moment resistance when the designed rebar spacing is applied.

**3** Load Cases/ Combinations **: ALL COBMINATION**

Select **[Avg. Nodal]**. 4

**5** Check [Dir.1]

Click **[Apply]** 6



#### **[Smoothing]**

Step

*04*

#### *Design > Meshed Slab/Wall Design > Slab Flexural Design*



**Width smoothing :**  *weighted average method* a b v1  $v2$  v3 *weighted average for 'v2'* =  $(v1 + v2) \times a / 2 + (v3 + v2) \times b / 2$  $a + b$ 

For practical design, smooth moment distributions are preferred. By selecting the smoothing option, the program can consider the smooth moment in slab design.



**Element:** Design results are displayed using the internal forces calculated at each node of elements. (no smoothing)

**Avg. Nodal:** Design results are displayed using the average internal nodal forces of the contiguous elements sharing the common nodes.



**Element:** Design results are produced for moments at each node of slab elements. (no smoothing) **Width:** Design result of slab elements at each node is produced using the average of the bending moments of the contiguous slab elements with the specified width.



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#### *Procedure*

**Design > Design >** 1 **Meshed Design > Slab Flexural Design**

- Check **[Wood Armer Moment]** 2
- **6** Display the Wood Armer Moments in contour.
- **3** Load Cases/ Combinations **: ALL COBMINATION**
- Check **[Dir.1]** 4

Click **[Apply]** 5





**[Design strength of**

**flexural member]**

*Design Strength ≥ Required Strength*

*Φ(Nominal Strength) ≥ U*

#### **1. Design Strength**

**Flexural strength of meshed slab is calculated based on the doubly reinforced beam design method.**

**Doubly Reinforced:**  $M_{n1} = A_s' f_y (d - d')$  $a = \frac{(A_s - A_s^{\dagger})f_s}{0.85f_{ck}b}$  $(A_{\rm s} - A_{\rm s})$  $M_{n2} = (A_s - A_s^{\dagger}) f_y (d - \frac{a}{2})$  where,  $=\frac{(\Delta_s - \Delta_s)}{(\Delta_s - \Delta_s)}$ *s s y* 0.85 *ck*  $\Phi M_n = \Phi(M_{n1} - M_{n2}) = \Phi[A, 'f, (d-d') + (A, -A, 'f, (d-d'))$  $\Phi_n = \Phi(M_{n1} - M_{n2}) = \Phi[A_s \, 'f_y(d - d') + (A_s - A_s \,')f_y(d - \frac{\pi}{2})]$  $\frac{1}{c}$ d  $\blacktriangleright$  Ash  $\frac{\epsilon_s}{\epsilon}$ **Cross Section Strain Strength**



**[Design strength of**

**flexural member]**

*Design Strength ≥ Required Strength*

*Φ(Nominal Strength) ≥ U*

#### **2.Strength reduction factor**

**Strength reduction factor needs to be calculated based on the tensile strain in extreme tension steel.** 



Fig. R9.3.2—Variation of  $\phi$  with net tensile strain in extreme tension steel,  $\varepsilon_t$ , and  $c/d_t$  for Grade 60 reinforcement and for prestressing steel.

**Strength reduction factor is uniformly applied as 0.9 in midas Gen.**

#### *Procedure*

**[Design strength of**

**flexural member]**

#### **3. Minimum reinforcement of flexural members**



#### **4. Maximum reinforcement of flexural members**

#### **B.10.3** - General principles and requirements

 $B.10.3.3$  - For flexural members and members subject to combined flexure and compressive axial load where  $\phi P_n$  is less than the smaller of 0.10 $f_c$  A<sub>a</sub> and  $\phi P_b$ , the ratio of reinforcement,  $\rho$ , provided shall not exceed 0.75 of the ratio  $\rho_b$  that would produce balanced strain conditions for the section under flexure without axial load. For members with compression reinforcement, the portion of  $\rho_b$  equalized by compression reinforcement need not be reduced by the 0.75 factor.

**In midas Gen, maximum rebar ratio is limited as 75% of balanced rebar ratio as per Appendix B10.3.3.** 

#### **5. Minimum Spacing Limit**

Rebar spacing shall not be less than the smaller of "3\*slab thickness" and 18in.



**[Wood Armer Moment]**

#### **6. Required Moment Strength calculated from Wood Armer moment**

From the analysis results, following plate forces about the local axis are calculated

- *- mxx*
- *- myy*
- *- mxy*

In order to calculate design forces in the reinforcement direction, angle  $\alpha$  and  $\varphi$  will be taken as following figure:



x, y: local axis of plate element 1, 2: reinforcement direction α: angle between local x-direction and reinforcement direction 1 φ: angle between reinforcement direction 1 and reinforcement direction 2

Firstly, internal forces (mxx, myy and mxy) are transformed into the a-b coordinate system.

$$
m_a = \frac{m_{xx} + m_{yy}}{2} + \frac{m_{xx} - m_{yy}}{2} \cos 2\alpha + m_{xy} \sin 2\alpha
$$
  
\n
$$
m_b = \frac{m_{xx} + m_{yy}}{2} - \frac{m_{xx} - m_{yy}}{2} \cos 2\alpha - m_{xy} \sin 2\alpha
$$
  
\n
$$
m_{ab} = -\frac{m_{xx} - m_{yy}}{2} \sin 2\alpha + m_{xy} \cos 2\alpha
$$

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**[Wood Armer Moment]**

Then, Wood-Armer moments are calculated as follows:

$$
\begin{bmatrix}\n\text{[Bottom Rebar] } & m_{ud1} = m_a - 2m_{ab} \cot \varphi + m_b \cot^2 \varphi + \frac{m_{ab} - m_b \cot \varphi}{\sin \varphi} & m'_{ud1} = m_a - 2m_{ab} \cot \varphi + m_b \cot^2 \varphi - \frac{m_{ab} - m_b \cot \varphi}{\sin \varphi} \\
m_{ud2} = \frac{m_b}{\sin^2 \varphi} + \frac{m_{ab} - m_b \cot \varphi}{\sin \varphi} & m'_{ud2} = \frac{m_b}{\sin^2 \varphi} - \frac{m_{ab} - m_b \cot \varphi}{\sin \varphi}\n\end{bmatrix}
$$
\n
$$
\text{When } m_{ud1} \le 0 \text{ and } m_{ud2} > 0,
$$
\n
$$
m_{ud2} = \max \{0, \frac{m_b + |(m_{ab} - m_b \cot \varphi)^2 / (m_a - 2m_{ab} \cot \varphi + m_b \cot^2 \varphi) |}{\sin^2 \varphi}\n\}
$$
\n
$$
\text{When } m_{ud2} \le 0
$$
\n
$$
m_{ud3} = \max \{0, m_a - 2m_{ab} \cot \varphi + m_b \cot^2 \varphi + \frac{|(m_{ab} - m_b \cot \varphi)^2 / (m_a - 2m_{ab} \cot \varphi + m_b \cot^2 \varphi)|}{\sin^2 \varphi}\}\n\}
$$
\n
$$
\text{When } m_{ud2} \le 0
$$
\n
$$
m_{ud3} = \max \{0, m_a - 2m_{ab} \cot \varphi + m_b \cot^2 \varphi + \frac{|(m_{ab} - m_b \cot \varphi)^2|}{m_b}\}\n\}
$$
\n
$$
m_{ud3} = 0
$$
\n
$$
m_{ud4} = \min \{0, m_a - 2m_{ab} \cot \varphi + m_b \cot^2 \varphi - \frac{|(m_{ab} - m_b \cot \varphi)^2|}{m_b}\}\n\}
$$
\n
$$
m_{ud3} = 0
$$
\n
$$
m_{ud4} = 0
$$
\n
$$
m_{ud4} = 0
$$
\n
$$
m_{ud2} = 0
$$
\n
$$
m_{ud3} = 0
$$
\n<math display="block</math>

### *Procedure*

# **Slab Shear Checking**

Produce the two-way shear (punching shear) check results at the supports of slab elements or at concentrated loads and the oneway shear check results along the user-defined Shear Check Lines.



#### Click **[Design Result]**  $\boldsymbol{2}$

Click **[Apply]**

**3** 

Produce the detail punching<br>
about doging results of alghebra shear design results of slab elements in a text format. If the plate elements of a certain critical perimeter are selected in the model view, the detail results will include the punching shear results of the selected elements. If none of the element has been selected, the most critical results will be plotted in the detail result text output.







**[Shear strength] [Punching Shear Check(By CODE)]** *ΦVn ≥ Vu*  $Vn = Vc + Vs$  Where, Vc : nominal shear strength provided by concrete Vs : nominal shear strength provided by shear reinforcement



**Shear strength reduction factor is applied as 0.75.**

#### **1. Shear strength of Concrete, Vc**

$$
V_c = \min \left\{ \Phi \left( 2 + \frac{4}{\beta} \right) \lambda \sqrt{f_{ck}} \right\}
$$

$$
V_c = \min \left\{ \Phi \left( 2 + \frac{\alpha_s d}{b_o} \right) \lambda \sqrt{f_{ck}} \right\}
$$

$$
\Phi 4\lambda \sqrt{f_{ck}}
$$

where, β: Ratio of the maximum to the minimum dimension of a column or wall

b<sub>o</sub>: Critical perimeter

α<sub>s</sub>: 40(Interior column), 30(Edge column), 20(Corner column)

λ: 1.0 (normal weight concrete)





**[Punching Shear Check(By CODE)]**

#### **Punching shear perimeter for calculating concrete shear strength**

In this method, the program takes the axial force in the column supporting the slab as the shear force (V<sub>u</sub>). The basic control perimeter is taken at a distance d/2 from the column face (as shown in the diagram below).



#### **Maximum Shear Strength by Concrete (ACI318-11 11.1.3.1)**

 $V_n \leq 6\sqrt{f_{ck}b_o}d$  $V_c \leq 2\lambda \sqrt{f_{ck} b_o d}$ 

**In midas Gen, the above limitation is applied when slab thickness is larger than 200mm.**

**[Punching Shear Check(By CODE)]**

**2. Shear strength of reinforcement, Vs**

$$
V_s = \frac{A_v f_y d}{s}
$$

$$
V_{s,\min} = 4\sqrt{f_{ck}} b_w d
$$

#### **Shear rebar spacing limit**

 $s \leq 0.5d$  $0.75d$  for  $v \leq 6$  $0.50d$  for  $v > 6$  $u = \sigma \varphi \circ \sqrt{J/k}$  $u^2$  oprovid  $J_{ck}$  $\int_{S} \leq \begin{cases} 0.75d & \text{for } V_u \leq 6\phi \lambda \sqrt{f_u} \end{cases}$ d for  $v_y > 6\phi \lambda \sqrt{f_x}$  $V_{\mu} \leq 6\phi\lambda$ .  $v_{\mu} > 6\phi\lambda$ .  $\begin{bmatrix} 0.75d & \text{for } v_u \leq 1 \end{bmatrix}$  $\leq$   $\{$  $\begin{cases} 0.50d & \text{for } \nu_u > \end{cases}$  $g \leq 2d$ 

#### **Minimum Shear Rebar Area**

$$
\frac{1}{2}\phi V_c < V_u \le \phi V_c
$$
\n
$$
A_{v,\text{min}} = 0.75\sqrt{f_{ck}} \frac{b_w s}{f_y} \qquad \text{but shall not be less than } (50b_w s) / f_y.
$$

**In midas Gen, required rebar area is calculated by "***Vs = Vn- Vc***". Shear rebar spacing limit and minimum shear rebar area are not applied.**

**[Punching Shear Check(By CODE)]**

#### **3. Required Shear Strength, Vu**

**Unbalanced moment between a slab and column by flexure**

$$
\gamma_{v} = (1 - \gamma_{f})
$$

**Unbalanced moment between a slab and column by eccentricity of shear**

 $1'$   $\mathcal{O}_2$ 1  $\gamma_f = \frac{}{1 + (2/3) \sqrt{b_1/b_2}}$ 

#### **Factored shear stress**







 $b_1d(b_1+3b_2)+d^3$ 

 $2b_1^2d(b_1+2b_2)+d^3(2b_1+b_2)$ 

 $6(b_1+b_2)$ 

 $b_1^2d(b_1+4b_2)+d_1^3(b_1+b_2)$ 

 $6(b_1+2b_2)$ 

 $(b_1 + 2b_2)d$ 

 $|2(b_1+b_2)d|$ 

 $(2b_1+b_2)d$ 

 $(b_1+b_2)d$ 

 $b_1d(b_1+3b_2)+d^3$ 

 $\frac{2b_1^2d(b_1+2b_2)+d^3(2b_1+b_2)}{6b_1}$ 

 $b_1^2d(b_1+4b_2)+d_1^3(b_1+b_2)$ 

 $6b_1$ 

 $\mathsf{A}$ 

B

 $\mathcal{C}$ 

D

 $\frac{b_1}{2}$ 

 $b_1(b_1 + b_2)$ 

 $2b_1 + b_2$ 

 $b_1(b_1+2b_2)$ 

 $2(b_1+b_2)$ 

 $rac{b_1}{2}$ 

 $b_1^2$ 

 $2b_1 + b_2$ 

 $b_1^2$ 

 $2(b_1+b_2)$ 

**[Punching Shear Check(By FEM)]**

In these methods (The FEM Method), the Shear force along the critical section is taken and divided by the effective depth to calculate shear stress. Therefore there is no need to calculate **β** (Beta), to consider moment transferred to the column.



(There are 4 plate elements intersecting at nodes. The nodes are marked by nomenclature of Grid Lines. As the center node is denoted by B2 , B on x-Axis and 2 on Y-Axis)

When slab is defined as the plate element, the program calculated stresses only at the nodes, in the analysis. So we have the stresses at B1, B2, C2 etc. (see the figure above) are calculated by the program.

Case 1 - To calculate stresses at the critical section that is u1 in the given figure, for example we take the point P in the figure which lies in a straight line. The stress at B1 and B2 are known. The values at these nodes are interpolated linearly to find the stress at point P .

Case 2- Now if the point lies in the curve such as the point Q, then the software will divide the curve into 6 parts. At each point such as Q a tangent which intersects B1-B2 and C2-B2.The value of stresses at T and V are determined by linear interpolation of stresses which are known at for T (at B1 and B2) and for V (at C2 and B2). After knowing stresses at T and V the stress at Q is determined by linear interpolation of stresses at T and V.

#### *Procedure*

**[Punching Shear Check(By FEM)]**

#### **(Method 1: Average by elements.)**

In this method the stresses at all the critical points is determined. The critical points divide the critical section into segments. The average value for all these segments is determined by dividing the stresses at the two ends of the segment by 2. After determining the average value for each segment, **the maximum** average value from all of the segments is reported as the Stress value for the critical Section.



a,b are stresses at the segment ends.

Average value for the segment will be (a+b)/2, and such average value for each segment is determined.

### *Procedure*

**[Punching Shear Check(By FEM)]**

#### **(Method 2: Average by Side)**

In this method stresses at all critical points is determined and then average stress value is calculated by weighted mean.

To calculate weighted mean , For example we have 4 critical points a, b, c, d.



We divide the Critical section into 4 sides as shown in figure.

The weighted mean value for each side is determined and then the maximum value out of the 4 sides A, B, C, D is reported as the stress value.



**Design > Design> RC Design >** 1 **Serviceability Parameter**

**Select All** 

**Step** 

*04*

**3** Click [Apply]

**Unselect All** 4

Slab deflection is verified as per the clause 9.5.3 of ACI318-11. This deflection limit can be entered by the user in Serviceability Parameter.



G: 37, 17, 15

#### TABLE 9.5(b) - MAXIMUM PERMISSIBLE COMPUTED DEFLECTIONS



<sup>1</sup>Long-term deflection shall be determined in accordance with 9.5.2.5 or 9.5.4.3, but may be reduced by amount of deflection calculated to occur before attachment of nonstructural elements. This amount shall be determined on basis of accepted engineering data relating to time-deflection characteristics of members similar to those being considered.

#Limit may be exceeded if adequate measures are taken to prevent damage to supported or attached elements.

<sup>§</sup>Limit shall not be greater than tolerance provided for nonstructural elements. Limit may be exceeded if camber is provided so that total deflection minus camber does not exceed limit.

 $4 ×$ 

### *Procedure*

**Design > Design >** 1 **Meshed Design > Slab Serviceability Checking**

Check **[Uncracked]** and Active Long-term Deflection and Check **[Creep]**.  $\boldsymbol{2}$ 

> Calculate the deflection for the uncracked section and compare it with the allowable deflection. Deflection for the cracked section is not supported in the current version.

**3** Select **[Ratio]** (4

Click **[Design Result]** 4

Click **[Apply]** 6



#### *Procedure*

**Wall Design**

Wall design forces and tension reinforcements are obtained in an element subject to in-plane orthogonal stress.

The tension reinforcement in an element subject to in-plane orthogonal stresses  $\sigma_{\rm Edx}$ ,  $\sigma_{\rm Edx}$  and  $\tau_{\rm Edxy}$  can be calculated as shown below. Compressive stresses should be taken as positive, with  $\sigma_{Edx}$  >  $\sigma_{Edy}$ , and the direction of reinforcement should coincide with the x and y axes.

 $f_{\text{tdx}} = \rho_{\text{x}} f_{\text{yd}}$  and  $f_{\text{tdy}} = \rho_{\text{y}} f_{\text{yd}}$ 

where, ρx and ρy are the geometric reinforcement ratios, along the x and y axes respectively.

In locations where  $\sigma_{Edy}$  is tensile or  $\sigma_{Edx} \cdot \sigma_{Edy} \leq \tau^2_{Edxy}$ , reinforcement is required. The optimum reinforcement, indicated by superscript ', and related concrete stress are determined by:

For 
$$
\sigma_{\text{Edx}} \leq |\tau_{\text{Edxy}}|
$$
  
\n $f'_{\text{tdx}} = |\tau_{\text{Edxy}}| - \sigma_{\text{Edx}}$   
\n $f'_{\text{tdy}} = |\tau_{\text{Edxy}}| - \sigma_{\text{Edy}}$   
\n $\sigma_{\text{cd}} = 2|\tau_{\text{Edy}}|$   
\nFor  $\sigma_{\text{Edx}} > |\tau_{\text{Edxy}}|$   
\n $f'_{\text{tdx}} = 0$   
\n $f'_{\text{tdy}} = \frac{\tau_{\text{Edxy}}^2}{\sigma_{\text{Edx}}} - \sigma_{\text{Edy}}$   
\n $\sigma_{\text{cd}} = \sigma_{\text{Edx}} (1 + (\frac{\tau_{\text{Edxy}}}{\sigma_{\text{Edx}}})^2)$ 

Wall design using wall element is also supported in midas Gen.

*Reference: Nielsen, M.P., Limit Analysis and Concrete Plasticity, Second Edition, CRC Press, USA, 1999*

#### *Procedure*

**Wall Design**

Minimum reinforcement for vertical and horizontal rebar is considered in accordance to ACI318-11, 14.3.2 and 14.3.3. Maximum ratio of of vertical reinforcement are applied as "0.04" and it can be modified in Design > Concrete Design Parameter > Limiting Maximum rebar Ratio.

14.3.2 – Minimum ratio of vertical reinforcement area to gross concrete area,  $\rho_{\ell}$ , shall be:

(a) 0.0012 for deformed bars not larger than No. 5 with  $f_v$  not less than 60,000 psi; or

(b) 0.0015 for other deformed bars; or

(c) 0.0012 for welded wire reinforcement not larger than W31 or D31.

#### **[Minimum ratio of horizontal reinforcement area]**

14.3.3 - Minimum ratio of horizontal reinforcement area to gross concrete area,  $\rho_t$ , shall be:

(a) 0.0020 for deformed bars not larger than No. 5 with  $f_v$  not less than 60,000 psi; or

(b) 0.0025 for other deformed bars; or

(c) 0.0020 for welded wire reinforcement not larger than W31 or D31.

#### **[Minimum ratio of vertical reinforcement area] [Maximum ratio of vertical reinforcement area]**

**0.04**



#### *Procedure*





# *4-8. Wall design (4)*

# *Procedure*

**Design > Design >** 1 **Meshed RC Design > Wall Design**

Click **[Design Result]** 2

Click **[Design Force]** 3

