Course: Algebra 1 (02052) WA Alg1A
Unit: 1. FOUNDATIONS OF ALGEBRA
Assignment: 5. Classifying and Comparing Number

## CLASSIFYING AND COMPARING NUMBERS

Vocabulary

|  | Definition | Example/Illustration |
| :--- | :--- | :--- |
| Additive inverse |  |  |
| Integer |  |  |
| Irrational number |  |  |
| Natural number |  |  |
| Rational number |  |  |
| Whole number |  |  |

## SETS OF NUMBERS

## Real Numbers



Irrational Numbers

## INTEGERS AND RATIONAL NUMBERS

The opposite is the negative version of a number. What are the opposites of these numbers?

- $1 \rightarrow$ $\qquad$
- $-2 \rightarrow$ $\qquad$
- $3 \rightarrow$ $\qquad$
These are also called the additive $\qquad$ . If you add a number with its opposite (the additive inverse), then the sum is $\qquad$ .

What are four ways to read this number? -5

- $\qquad$ five
- $\qquad$ five
- The $\qquad$ of five
- The $\qquad$
$\qquad$ of five


## Rational Numbers

- Can be written as a ratio of two integers in the form

- B (the bottom) cannot equal $\qquad$
- These can be expressed easily as either $\qquad$ or fractions

In other words, rational numbers include all real numbers except decimals that DO NOT end or repeat.

## OPERATIONS WITH RATIONAL AND IRRATIONAL NUMBERS

When you add, subtract, multiply, and divide:

- Two rational numbers = $\qquad$ number
- An irrational and rational number $=$ $\qquad$ number (except if the rational number is 0 , then it's rational)
- Two irrational numbers = can be $\qquad$ or $\qquad$ number
**Make sure you simplify any numbers to double-check if they are rational.
**If you have two irrational numbers, double check if the irrational parts cancel out


## THE NUMBER LINE

- A point is graphed on a number line by a heavy $\qquad$
- To show a continuation of points, enlarged $\qquad$ are used at the ends of the line.
- Integers have a $\qquad$ (+/-), so numbers on the $\qquad$ side are bigger than numbers on the $\qquad$ side
- Numbers less than $0(a<0)$ are $\qquad$
- Numbers bigger than $0(a>0)$ are $\qquad$
- You can graph infinitely many integers and non-integers on a number line
$A<B$ means that $A$ is to the $\qquad$ of $B$ on the number line.
$A<B$ is the order of $A$ and $B$.
Graph $A$ and $B$ on the number line:

Key things to remember about the real number system:

- Every real number is either $\qquad$ or $\qquad$ .
- As decimals, rational numbers $\qquad$ or $\qquad$ .
- Irrational numbers never $\qquad$ and never $\qquad$ -.
- Rational numbers can be graphed as $\qquad$ on a number line.
- Numbers to the left of the number line are $\qquad$ than the numbers to the right.

HINT: to change ALL fractions to decimals to compare them, treat the "fraction" line as a division line. In other words $\frac{5}{6}$ is the same as $5 \div 6$, or .83333333... (repeating).

